

Lecture #3

Waves and Interference

PHYS102

January, 25th

Tues., January 18th: Lecture #1 Introduction to Course.

Thurs., January 20th: Lecture #2 Waves and the Concepts Describing Them

Tues., January 25th: Lecture #3 Interferences of Waves: Young's Experiment.

Thurs., January 27th: Lecture #4 Traveling Waves; Longitudinal vs. Transverse Waves,

Tues., February 1st: #5 Diffraction

Thurs., February 3rd, #6 Electromagnetic Waves

Tues., February 8th; #7 Review Meeting

Thurs., February 10th: Exam 1

Lecture objectives

- 1) Review of the basic concepts of waves.
- 2) The nature of interference.
- 3) The Thomas Young Experiment of 1801.

Workshops

They begin this week!

Subject of both the Wednesday and the

Friday workshop:

Interference

Labs meet in Room 110.

Why is the interference important?

Observation of *interference* is a method of detecting that a particular phenomenon is a wave.

Example: How did we first discover that light is a wave?

Experiments showing *interference* revealed this.

Review of Basic wave Concepts

a) The **frequency** f : This is the number of full cycles per time, performed by the wave.

Note: The *location* (along the wave direction) is fixed.

b) The **wavelength** λ :

This is the distance for a full cycle.
It is taken along the wave-direction.

Note: *Time* is fixed.

c) The **wave-speed** v .

We allow both location and time to vary, now.

The wave-speed v is the speed of the crests.

Recall: A *crest* occurs when the wave-value is maximum.

The Wave-Relation

This relation connects these three quantities. It states:

$$v = f\lambda.$$

So, if we know any two of these quantities, we can compute the third quantity.

Detection of Waves

Interference is a way to detect waves

Interference

Suppose that more than one wave occupies the same space at the same time.

Then, the wave values *add*.

This is the **superposition principle**.

Example

We have two waves.

Suppose that the crest of the first overlaps the crest of the second.

Then, the effect is that the net wave has *increased* amplitude at this point and time.

This is constructive interference.

$$d \sin \theta = m\lambda, \quad m = 0, 1, 2, 3, \dots$$

d=the distance between slits

- **Second Example**

- Suppose the *crest* of one wave overlaps the *valley* of another.

- Then, the net wave has its amplitude *reduced*.

- This is **destructive interference**.

$$d \sin \theta = (m+1/2)\lambda, \quad m=0, 1, 2, 3, \dots$$

Demonstration of Interference

The *interference model*.

Two sinusoidal waves superpose on each other.

When the waves are *in-phase*, we have **constructive interference**.

When the waves are 180 degrees out-of-phase, we have **destructive interference**.

Controversy: Is light a particle or a wave?

Newton: **Particle**

Descartes: **Wave**

The issue was settled in 1801 by the experiment of Thomas Young.

Light passes through two holes.

Demonstration: The Young Experiment

Observe: Some places light adds, at other places it cancels.

This would not happen if light is a particle.

If so, the intensity would always add.

Find: The wavelength of light.

Pick any point on the screen. Call it P.

Measure distance from P to the first slit. Call it d_1 .

Repeat for the second slit. Call it d_2 .

Let ΔD be the path difference.

That is,

$$\Delta D = d_1 - d_2.$$

How ΔD varies, as point P changes.

For the center of the screen, $d_1 = d_2$ and so $\Delta D = 0$.

The same # of wavelengths is needed to reach P, from slits 1 and 2.

The waves arrive *in-phase*.

There is constructive interference.

(reinforcement).

See a bright spot.

the screen-center is a point Q such that $\Delta D = \frac{1}{2} \lambda$.

The two waves arrive 180 degrees out-of-phase. There is destructive interference (cancellation).

See a dark spot.

Measure the distances d_1 and d_2 for point Q. Compute $\Delta D = d_1 - d_2$.

Require $\Delta D = \frac{1}{2} \lambda$.

Solve for λ .

Result: The first accurate measurements of the wavelength of light.

Find λ is between 400 and 700, in units of nanometers (nm).

$1\text{nm} = 10^{-9}$ meters.

The differing values of λ correspond to different colors of the light.